

APPROACHES TO FUSE FIXED AND MOBILE AIR QUALITY SENSORS ISESS 2017, Zadar, Croatia

Gerhard Dünnebeil, AIT

Martina Marjanović, University of Zagreb, Faculty of Electrical Engineering and Computing Ivana Podnar Žarko, University of Zagreb, Faculty of Electrical Engineering and Computing



MOTIVATION

- Current fixed stations are sparsely distributed (mainly due to costs)
- Fixed stations usually avoid measuring the air at head height
- Fixed stations are expensive
- Fixed stations also are the most accurate source of measurements available

- Mobile sensors are inaccurate
- Mobile sensors are hard to calibrate
- Mobile sensors are cheap, so can be used in numbers
- Mobile sensors measure where the people are



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A TYPICAL FIXED STATION FOR AIR QUALITY





TYPICAL MOBILE SENSORS





NANO SENSOR AGING

- Reduced sensivity
- Shifting zero readings
- Longer time constants
- Noise?
- → Sensors get unreliable over time
- Recalibrating those sensors take away most of their benefits.



THE CHALLENGE 1

- Get an approximation of the Air quality at any location of an area (city) for a certain point in time.
 - Current goal: Get input for a pollution driven routing service for pedestrians and bikers.
- Mathematical view point: Get a function value at any location from just a few known locations
- Use all available information
- Model reliability when using information



THE CHALLENGE 2

- Replace missing calibration of mobile sensors by other means
- Find unreliable sensors



SOLUTION APPROACH FOR INTERPOLATION

- You need an interpolation method that takes sensor errors into respect.
- You need an interpolation method that models the representative area of a sensor
- Candidate: Kriging
- The kriging approach:
 - A sensor is representative for an area.
 - The closer a location is to a sensor, the more the sensor reading reflects the real value at that location.
 - If several sensors represent the same location, the resulting value is chosen from the conflicting values such that the error (sum of squares) is minimized.
 - $Z(\vec{l}) = \sum \gamma_i Z(\vec{l}_i)$. (Constraint: $\sum \gamma_i = 1$)



THE COVARIANCE FUNCTION

- With Kriging the covariance function is usually chosen such, that it is 1 at the exact location and zero at infinity. In between the function decreases monotonically.
- → Many different functions are possible
- There is no mathematical reason why the covariance function must be 1 at the location (remember, the sum is normalized to 1 anyway).
- We use this to express the reliability of a sensor, i.e. we integrate "trust" into the covariance function such, that a less trusted sensor has a covariance value of e.g. 0.5 instead of one. → Trust factor
- \rightarrow A fixed station dominates the readings of mobile sensors in its vicinity.
- → But if several mobile sensors have the same reading they can still "overrule" the fixed station.



GAINING TRUST FACTORS

- We assume that the mobile sensors are well calibrated.
- We also assume we can measure the same value often without other influences
- Then the measurements show only random errors around the "real" value (Gaussian distribution)
- The width of the distribution is a measure for the "trust".
- In real life you cannot measure the value often
- Other effects will "pollute" the sensor readings. How to distinguish those from sensor related noise.
 - Solution:
 - Compare each mobile sensor to an interpolated value.
 - "Low pass" filter trust values so that single events don't have too much effect.



GAIN CORRECTION VALUES (1) (ON-THE-FLY CALIBRATION)

- As mobile sensors age and can't easily be re-calibrated we need a way to get correction factors
- Solution: Compare the sensor readings to other readings.
- Approach 1:
 - Each time a sensor comes to the vicinity of a fixed station the values can be compared.
 - Use this as a reference value to calculate individual correction factors for the mobile sensors
 - Problem: Will only work if sensors get near enough to a fixed station to have reliable values



GAIN CORRECTION VALUES (2) (ON-THE-FLY CALIBRATION)

- Approach 2:
 - Each time two sensors measure at the vicinity of each other they can be compared.
 - Use kriging of all values to get an interpolated value field.
 - Use this as a reference value to calculate individual correction factors for the mobile sensors so they all measure the same. This is not necessarily what the fixed stations will measure!
 - Calculate a correction factor that minimizes the error of the interpolated mobile sensors compared to the fixed stations. Apply these global correction values to each individual correction set of corrections.
 - Problem: Much more complex and effort

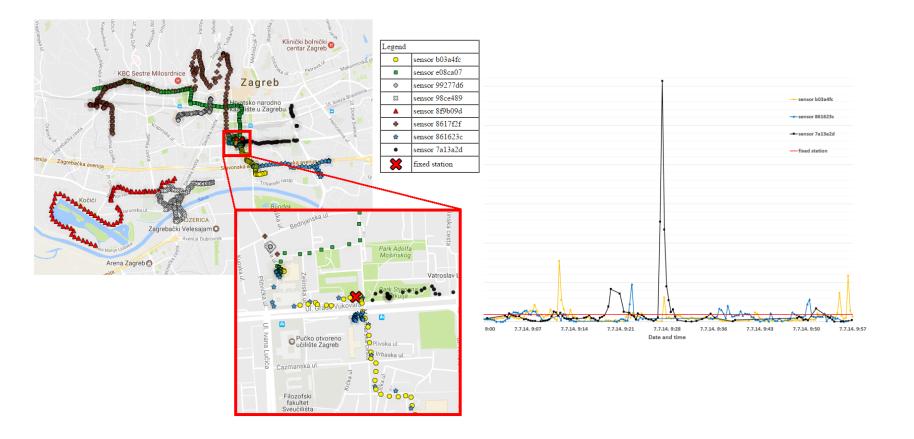


TRYING THE CONCEPTS IN PRAXIS

- We tried these concepts with sensor data from a field trial in july 2014.
- Data evaluation was done in 2017, so there was no chance to repeat those measurements easily.

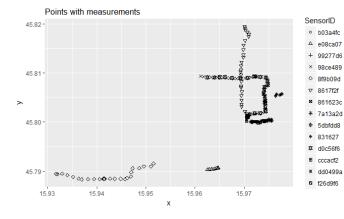


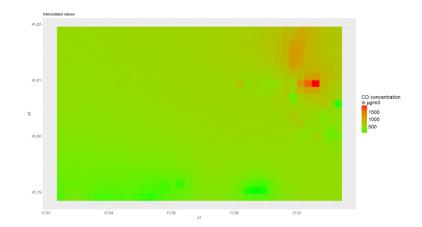
TEST SETUP

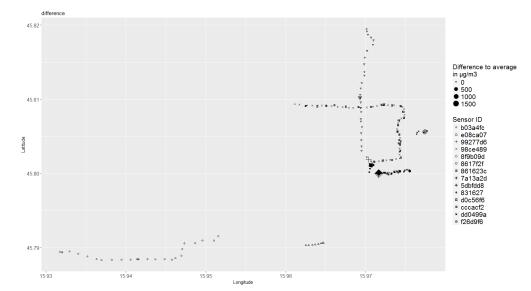




DATA EVALUATION







17.05.2017



TEST RESULTS

- Participant paths where not planned well so there aren't many meetings
- Sensors worked well with very low deviations when they met so there was not enough data to try correction algorithms.
- The different sampling periods between mobile sensors (20 sec.) and the fixed stations (1 hour) were much too different. → Doing a Least Mean Square fit simply isn't possible if there is only one value to fit against.



RESULT DISCUSSION

- Using Smart Sensors needs a certain density to allow significant statistics.
- Using Smart Sensors needs collaboration of Fixed Station Operators. The officially published values have a much too low time resolution.
- Pure kriging is not sufficiant in an urban environment. We need methods to take asymmetrical spreading of pollutants (mainly due to street canyons) into account → complex modelling needed?



OUTLOOK

- We are planning another field test in June 2017.
 - We want to restrict the area of the test and we want to control sensor locations to have more "meetings".
 - We want to manipulate some sensors to have malfunctions.
- We try to collaborate with the Vienna Monitoring Network to get data with better time resolution.

• We want to evaluate other mathematical methods for the interpolation.



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